

Ghent University Faculty of Sciences



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@dawyndt



	week 1	week 2	week 3	week 4	week 5	week 6	week 7	week 8	week 9	week 10	week 11	week 12	extra week
reading material	course book CH0 course book CH1	course book CH2	course book CH3 course book CH4	course book CH6 course book CH7	course book CH7	course book CH8	course book CH7 course book CH9	course book CH9 course book CH10	course book CHS course book CH14	course book CH11	course book CH12	course book CH13	
		$/ \setminus$							$\setminus /$				
lectures	basic programming principles expressions and statements	conditionals	putting it all together strings	functions lists and tuples	lists and tuples	advanced functions	list comprehensions and modules	sets and dictionaries	text files	object oriented programming	object oriented programming	object oriented programming	
			$\left\langle \right \ \ \right\rangle$										
hands-on session	expressions and statements	conditionals	sdool	strings	functions	functiios lists and tuples	evaluation	lists and tuples	advanced functions and modules	sets and dictionaries	text files	object oriented programming	evaluation



socrative

socrative.com

room: 407122

What day is your birthday?

format: DD/MM

= two digits for day and month

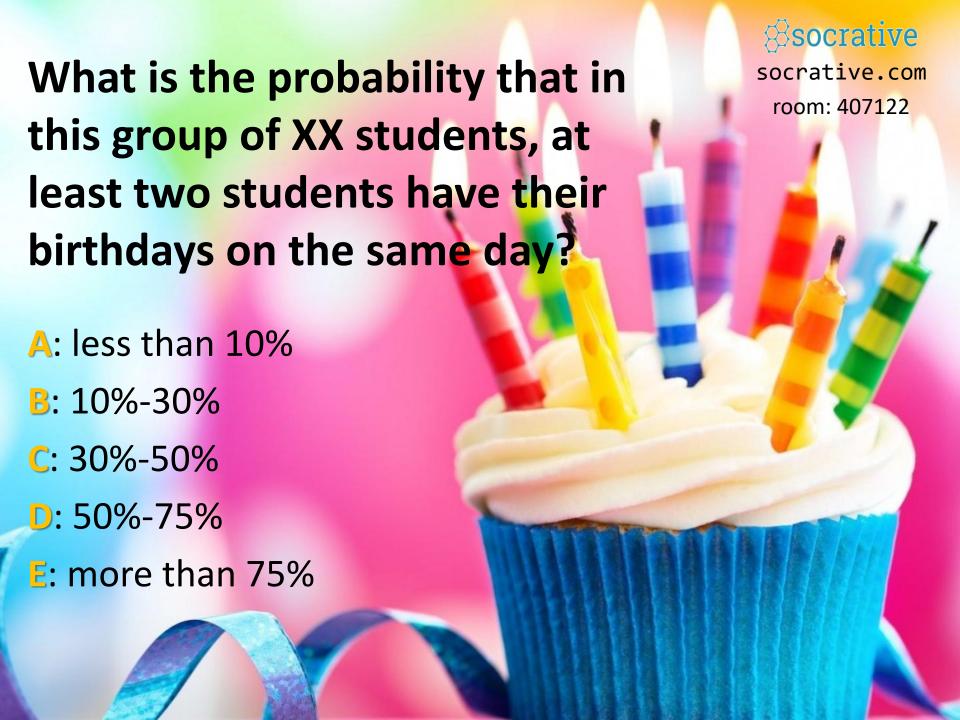
= no year of birth

Example

I was born on December 5, 1975.

answer: 05/12





· the birthday paradox

assignment

Determine the probability that in a group of *n* people at least two people share the same birthday.



Birthday paradox



$$q_n = \frac{365}{365} \cdot \frac{364}{365} \cdot \frac{363}{365} \cdot \dots \cdot \frac{365 - n + 1}{365}$$

paradox1.py



```
for n in range(5, 76, 5):
    # compute probability
    qn = 1.0
    for m in range(n):
        qn *= (365 - m) / 365  # floating point division

# print probability
    print(n, 1 - qn)
```

Birthday paradox



$$q_n = \frac{365}{365} \cdot \frac{364}{365} \cdot \frac{363}{365} \cdot \dots \cdot \frac{365 - n + 1}{365}$$

paradox2.py

```
UNIVERSITEIT GENT
```

```
qn = 1.0
for n in range(2, 76):
    # compute probability
    qn *= (365 - n + 1) / 365  # floating point division

# print probability
if not n % 5:
    print(n, 1 - qn)
```

Birthday paradox



$$q_n = \frac{365}{365} \cdot \frac{364}{365} \cdot \frac{363}{365} \cdot \dots \cdot \frac{365 - n + 1}{365}$$

```
import pyla365 364 363
                                                                                                                                                                                                                                                                                                                                                                              matplotlib
q_n = \frac{1}{365} \cdot \frac{1}{365} 
                                                                                                                                                                                                                                                                                                                                                                                                            365
x, y, qn = [], [], 1.0
for n in range (365):
                               # compute probability
                               qn *= (365 - n) / 365  # floating point division
                                # add sample point
                                x.append(n + 1)
                                                                                                                                                                                                                                                          # x-value of sample point
                                y.append(1 - qn)
                                                                                                                                                                                                                                                                                           # y-value of sample point
 # show graphical representation
pylab.plot(x, y, 'b-')
                                                                                                                                                                                              # plot trend
                                                                                                                                                                                                                                                                                           # fix limits of x-axis
pylab.xlim([0, 365])
pylab.show()
                                                                                                                                                                                                                                                                                             # show plot
```



Collatz Conjecture

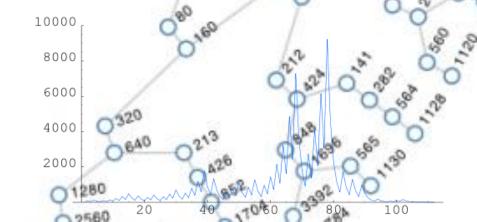


$$f(n) = \begin{cases} n/2 & \text{if } n \text{ is even} \\ 3n+1 & \text{if } n \text{ is odd} \end{cases}$$

hailstone series:

$$a_i = \begin{cases} n & \text{voor } i = 0 \\ f(a_{i-1}) & \text{voor } i > 0 \end{cases}$$

27, 82, 41, 124, 62, 31, 94, 47, 142, 71, 214, 107, 322, 161, 484, 242, 121, 364, 182, 91, 274, 137, 412, 206, 103, 310, 155, 466, 233, 700, 350, 175, 526, 263, 790, 395, 1186, 593, 1780, 890, 445, 1336, 668, 334, 167, 502, 251, 754, 377, 1132, 566, 283, 850, 425, 1276, 638, 319, 958, 479, 1438, 719, 2158, 1079, 3238, 1619, 4858, 2429, 7288, 3644, 1822, 911, 2734, 1367, 4102, 2051, 6154, 3077, 9232, 4616, 2308, 1154, 577, 1732, 866, 433, 1300, 650, 325, 976, 488, 244, 122, 61, 184, 92, 46, 23, 70, 35, 106, 53, 160, 80, 40, 20, 10, 5, 16, 8, 4, 2, 1



Collatz Conjecture



```
f(n) = \begin{cases} n/2 & \text{if } n \text{ is even} \\ 3n+1 & \text{if } n \text{ is odd} \end{cases}
\text{cases = int(input())}
\text{for case in range(cases):}
                               # read start value and initialize cycle length
   hailstone seme syclelength = int(input()), 1
                               # determine length of hailstone series
                    \begin{cases} n & \text{while n != 1:} \\ n & \text{if n $V2$:} \text{Or } i = 0 \\ & \text{n = 3 * n + 1} \\ f(a_i\_\text{else: VOOR } i > 0 & \text{# n even} \\ & \text{n } //= 2 \end{cases}
                                    cyclelength += 1
                               # print length of hailstone series
GENT
                               print(cyclelength)
```

Collatz Conjecture



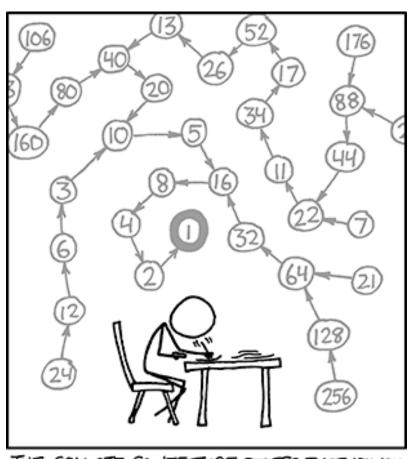
graphical.py

```
matplotlib
m = int(input('Enter a value for n: '))
# determine hailstone series
n = m
hailstone = [n]
while n != 1:
    if n % 2:
                       # n odd
       n = 3 * n + 1
                         # n even
    else:
       n //= 2
    hailstone.append(n)
# graphical representation of hailstone series
import pylab
pylab.plot(range(1, len(hailstone) + 1), hailstone)
pylab.title(f'hailstone series for $n = {m}$')
pylab.xlim(1, len(hailstone))
pylab.xlabel('$i$')
pylab.ylabel('$a i$')
pylab.show()
```



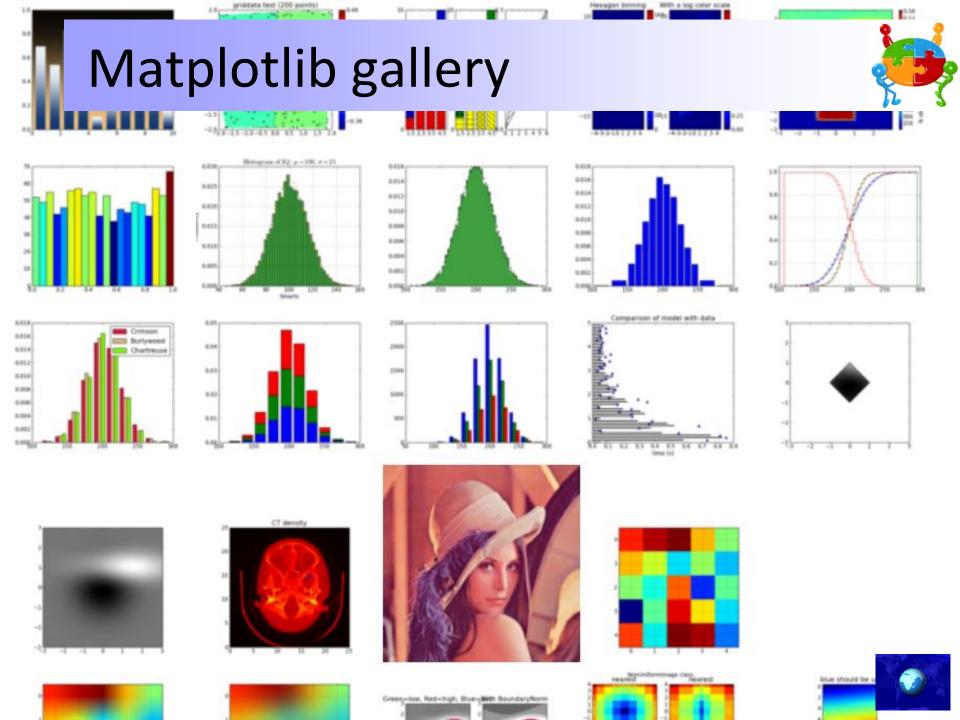
What's the use?





THE COLLATZ CONJECTURE STATES THAT IF YOU PICK A NUMBER, AND IF IT'S EVEN DIVIDE IT BY TWO AND IF IT'S ODD MULTIPLY IT BY THREE AND ADD ONE, AND YOU REPEAT THIS PROCEDURE LONG ENOUGH, EVENTUALLY YOUR FRIENDS WILL STOP CALLING TO SEE IF YOU WANT TO HANG OUT.





For or while?



```
# include (Stalo.h)
                                                                                   NICE TRY.
     int main (void)
        int count;
        for (count = 1; count <= 500; count++)
           printf ("I will not throw paper displanes in class.");
        return 0;
    MMD40 16-1
                                    printf ("I will not throw paper dirplanes in class.");
                                 return 0;
GENT
                               WEND 10-3
```

For or while?



- for loops
 - number of iterations is fixed at the start of the loop
 - traversing elements of collection type using an iterator
- while loops
 - each iteration has an associated condition that determines whether or not a new iteration should be started

```
#Include (STaio.h)
int main(void)

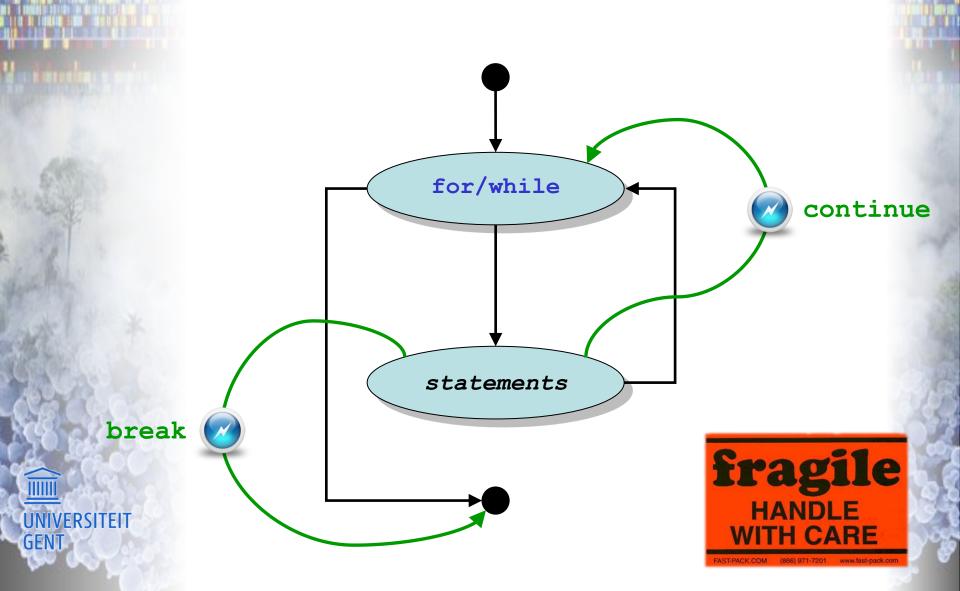
{
  int count;
  for (count = 1; count < = 500; count++)
    printf ("I will not throw paper dirplanes in class.");
  return 0;
}

***MRD 10.3**
```



Short circuit







guess1.py

```
# choose random number between 1 and 10 (limits included)
import random
number = random.randint(1, 10)
# give player three turns to guess the number
quessed = False
for attempts in range (3, 0, -1):
    # ask player to make a guess
    quess = int(input(f'Make a guess ({attempts} attempts left): '))
    # test if player has guessed the correct number
    if quess == number:
        print(f'Number guessed in {3 - attempts + 1} attempts!')
        quessed = True
        break
    else:
        print('Incorrect!')
# print correct number if not guessed by player
if not quessed:
    print(f'The number was {number}.')
```





guess1.py

```
# choose random number between 1 and 10 (limits included)
import random
number = random.randint(1, 10)
# give player three turns to guess the number
quessed = False
for attempts in range (3, 0, -1):
    # ask player to make a guess
    quess = int(input(f'Make a quess ({attempts} attempts left): '))
    # test if player has guessed the correct number
    if quess == number:
        print(f'Number guessed in {3 - attempts + 1} attempts!')
        quessed = True
        break
    else:
        print('Incorrect!')
# print correct number if not guessed by player
if not quessed:
    print(f'The number was {number}.')
```





guess2.py

```
# choose random number between 1 and 10 (limits included)
import random
number = random.randint(1, 10)
# give player three turns to guess the number
attempts, quessed = 3, False
while attempts and not guessed:
    # ask player to make a guess
    quess = int(input(f'Make a quess ({attempts} attempts left): '))
    attempts -= 1
    # test if player has guessed the correct number
    if quess == number:
        print(f'Number quessed in {3 - attempts} turns!')
        quessed = True
    else:
        print('Incorrect!')
# print correct number if not guessed by player
if not quessed:
    print('The number was {number}.')
```



Guess the number



```
# count number of attemtps to guess a number between 1 and 100
# choose random number between 1 and 10 (limits included)
import random
number = random.randint(1, 100)
# allow player to guess the number until it is found
attempts, quess = 0, 0
while guess != number:
    # ask player to make a quess
    attempts += 1
    quess = int(input('What is your next quess? '))
    # hint about the number to be guessed
    if quess < number:</pre>
        print('Higher!!')
    elif guess > number:
        print('Lower!!')
# print number of attempts needed to guess the number
print(f'Number was guessed in {attempts} attempts.')
```



Series minimum and average



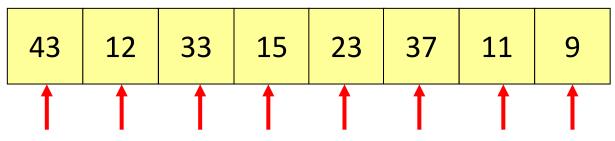
Write a program that computes the minimum and the average of a series of *n* integers.

```
$ python average.py < input.txt</pre>
```

minimum: 9

average: 22.875

\$



min = $\frac{1}{12}$ n = $\frac{1}{12}$



Series minimum and average



```
# determine minimum and average for a series of integers
# read length of series
n = int(input('Enter number of integers in series: '))
# initialize running variables
myMin = int(input('Enter first integer: '))
mySum = myMin
# traverse series
for i in range(n - 1):
    number = int(input('Enter next integer: '))
    mySum += number
    if number < myMin:</pre>
        myMin = number
# print minimum and average
print('minimum:', myMin)
print('average:', float(mySum) / n)
```



Closed series



Write a program that computes the sum of squares of a series of *n* integers.

$$\sum_{i=1}^{n} i^2$$

1 4 9 16 25 36 49 64



Closed series



Write a program that computes the sum of squares of a series of *n* integers.

$$\sum_{i=1}^{n} i^{2}$$

```
# read length of series

n = int(input('Enter number of integers in series: '))

# compute sum of squares

mySum = 0

for i in range(1, n + 1):

mySum += i ** 2

# print sum of squares

print(f'The sum of the first {n} squares is {mySum}.')
```



Open series



Write a program that computes the sum of squares of a series of integers that ends with an empty input.

117 44 12	87	48	94	38	
-----------	----	----	----	----	--



Open series



Write a program that computes the sum of squares of a series of integers that ends with an empty input.

```
# compute sum of open series

mySum = 0

myInput = input('Enter next number (press [enter] to stop): ')

while myInput:

mySum += int(myInput)

myInput = input('Enter next number (press [enter] to stop): ')

# print sum of series

print(f'The sum of the numbers is {mySum}.')
```



Nested loops



Write a program that computes the result of the following double sum of series.

$$\sum_{i=1}^{m} \sum_{j=1}^{n} \frac{1}{i^2 + j^2}$$



Nested loops



Write a program that computes the result of the following double sum of series.

```
double_sum.py
```

```
# read limits
m = int(input('Enter value for m: '))
n = int(input('Enter value for n: '))

# compute double sum of series
mySum = 0.0
for i in range(1, m + 1):
    for j in range(1, n + 1):
        mySum += 1 / (i ** 2 + j ** 2)

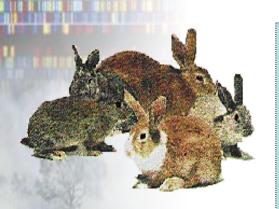
# print sum
print(f'The double sum of the series is {mySum:.6f}.')
```



Fibonacci



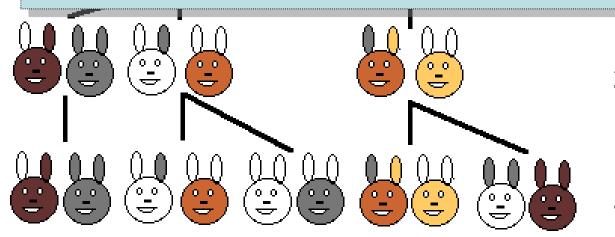




Suppose a newly-born pair of rabbits, one male, one female, are put in a field. Rabbits are able to mate at the age of one month so that at the end of its second month a female can produce another pair of rabbits.

Suppose that our rabbits **never die** and that the female **always** produces one new pair (one male, one female) **every month** from the second month on. The puzzle that Fibonacci posed was...

How many pairs will there be in one year?





Fibonacci



Write a program that prints the first *n* numbers in the Fibonacci series.

$$\begin{cases} F_0 = 0 \\ F_1 = 1 \\ F_n = F_{n-1} + F_{n-2} \quad (n > 1) \end{cases}$$

```
fibonacci.py
```

```
# read value of n
n = int(input('Enter value of n: '))
# initialize and print first numbers
f0, f1 = 0, 1
print(f1)
# compute and print next number
for i in range(n - 1):
    f0, f1 = f1, f0 + f1
    print(f1)
```



Fibonacci in nature







Head displaying florets in spirals of 34 and 55 around the outside

Homework (next lecture)



- course book
 - > read chapter 4 (strings)
 - > read chapter 6 (functions)
- read problem description of demo exercises
 - > Caesar cipher
 - > Letter soup
 - > Toothpicks
 - > Emirp
 - > Sanger sequencing
 - > Mobile synonyms

















Homework (hands-on sessions)



- mandatory exercises of series 03 (control loops)
 (deadline Tuesday, October 14, 2025, 22:00)
 - > ISBN (demo)
 - > Chaos
 - > German tanks
 - > Monkeys and coconuts
 - > Pythagorean triples
 - > Hitchhikers problem















Questions or remarks?

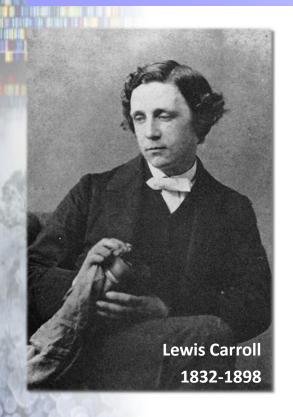






The sky is the limit ...







"If you don't know where you are going, any road will get you there."

— Lewis Carroll